

Unit 12 - Week 9

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Standards for First Order Logic

The due date for submitting this assignment has passed. **Due on 2020-04-01, 23:59 IST.**
 As per our records you have not submitted this assignment.

This assignment covers description language of FOFL and inheritance networks

1) What do you recall about the description language of FOFL ? 1 point

- FOFL stands for First Order Logic with Complement
- The syntactic elements are punctuations, concept-forming operators, statement-forming operators, concepts, roles, and constants (aka individuals or objects)
- Concept-forming operators \neg , \cap , \cup , \exists and \forall are used for describing domain concepts
- Statement-forming operators \sqsubseteq and \equiv are used for describing domain knowledge
- Provides variable free notation for writing concept descriptions (expressions)
- An FOFL concept denotes a set of individuals
- An FOFL role is a binary relation that relates individuals to other individuals

No, the answer is incorrect. Score: 0

Accepted Answers:
 FOFL stands for First Order Logic with Complement
 The syntactic elements are punctuations, concept-forming operators, statement-forming operators, concepts, roles, and constants (aka individuals or objects)
 Concept-forming operators \neg , \cap , \cup , \exists and \forall are used for describing domain concepts
 Statement-forming operators \sqsubseteq and \equiv are used for describing domain knowledge
 Provides variable free notation for writing concept descriptions (expressions)
 An FOFL concept denotes a set of individuals
 An FOFL role is a binary relation that relates individuals to other individuals

2) Select the formulas that denote FOFL concepts (not statements or axioms). 1 point

- \top (top symbol)
- Car
- Car \cup Van
- Person \cap Rich
- \exists Owms. \top
- \exists Owms. \neg Car
- \forall Owms. Car
- \perp (bottom symbol)
- SportsCar \sqsubseteq Car
- Coronavirus(covid19)

No, the answer is incorrect. Score: 0

Accepted Answers:
 \top (top symbol)
 Car
 Car \cup Van
 Person \cap Rich
 \exists Owms. \top
 \exists Owms. \neg Car
 \forall Owms. Car
 \perp (bottom symbol)

3) Between FOFL and FOFL': 1 point

- "Thing" corresponds to \top (top concept)
- FOFL does not support \perp (bottom concept or empty concept)
- "[AND C D]" corresponds to " $C \cap D$ "
- "[ALL :R C]" corresponds to " $\forall R.C$ "
- "[EXISTS 1 :R]" corresponds to " $\exists R.\top$ "
- " $A = C$ " corresponds to " $A \equiv C$ "
- " $c \rightarrow D$ " corresponds to " $D(c)$ "

No, the answer is incorrect. Score: 0

Accepted Answers:
 "Thing" corresponds to \top (top concept)
 FOFL does not support \perp (bottom concept or empty concept)
 "[AND C D]" corresponds to " $C \cap D$ "
 "[ALL :R C]" corresponds to " $\forall R.C$ "
 "[EXISTS 1 :R]" corresponds to " $\exists R.\top$ "
 " $A = C$ " corresponds to " $A \equiv C$ "
 " $c \rightarrow D$ " corresponds to " $D(c)$ "

BEGIN GROUP (1)

Express the descriptions listed below as FOFL concepts and axioms respectively.

- A. Set of all elements (aka individuals, aka objects) in a domain.
- B. Individuals who are happy.
- C. Rich people.
- D. Rich people are happy.
- E. Happy people are rich.
- F. People who own something.
- G. Individuals who owns a car that is not a sports car.
- H. Individuals who neither own a car nor own a van.
- I. Individuals who do not own a car.
- J. Individuals who own things that a not cars.
- K. covid19 is a Coronavirus.
- L. Individuals infected with Coronavirus are under quarantine.

Match each of the FOFL expressions in the questions below to a description listed above. Fill in the blanks with the item label (one of A, B, C, ..., L) of the matching description or else type the word NONE if there is no matching description.

Note: Owms and InfectedWith are roles, covid19 is an element in the domain and other names indicate concepts, and treat person and people as synonyms.

4) Coronavirus(covid19) 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) K

5) \exists InfectedWith. Coronavirus \sqsubseteq Quarantine 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) L

6) \perp (top concept) 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) A

7) Happy 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) B

8) Person \cap Rich 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) C

9) \neg (\exists Owms. Car) \cap (\exists Owms. Van) 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) H

10) \forall Owms. \neg (Car \cup Van) 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) I

11) Person \cap Rich \sqsubseteq Happy 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) D

12) Person \cap Happy \sqsubseteq Rich 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) E

13) Person \cap \exists Owms. \top 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) F

14) \exists Owms.(Car \cap \neg SportsCar) 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) G

15) \neg \exists Owms. Car 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) J

16) \exists Owms. \neg Car 1 point

No, the answer is incorrect. Score: 0

Accepted Answers:
 (Type: String) I

END GROUP (1)

17) \forall Owms Car is a concept that: 1 point

- includes individuals that own only cars
- includes individuals that own at least one car
- includes individuals who do not own anything
- includes individuals that own only sports cars, where SportsCar \sqsubseteq Car
- translates to a set $\{x \in \Delta \mid \forall y (Owms(x, y) \supset Car(y))\}$ in FOL

No, the answer is incorrect. Score: 0

Accepted Answers:
 includes individuals that own only cars
 includes individuals who do not own anything
 includes individuals that own at least one sports car, where SportsCar \sqsubseteq Car
 translates to a set $\{x \in \Delta \mid \forall y (Owms(x, y) \supset Car(y))\}$ in FOL

18) \exists Owms Car is a concept that: 1 point

- includes individuals that own only cars
- includes individuals that own at least one car
- includes individuals who do not own anything
- includes individuals that own at least one sports car, where SportsCar \sqsubseteq Car
- translates to a set $\{x \in \Delta \mid \exists y (Owms(x, y) \wedge Car(y))\}$ in FOL

No, the answer is incorrect. Score: 0

Accepted Answers:
 includes individuals that own at least one car
 includes individuals that own at least one sports car, where SportsCar \sqsubseteq Car
 translates to a set $\{x \in \Delta \mid \exists y (Owms(x, y) \wedge Car(y))\}$ in FOL

19) The negation normal form (NNF) of $\neg(\forall R.\neg C) \cup \exists R.C$ is: 1 point

- $(\exists R.C) \cup \forall R.\neg C$
- $(\exists R.C) \cap \forall R.\neg C$
- $(\exists R.\neg C) \cap \forall R.C$
- $(\exists R.C) \cap \exists R.C$
- None of the above

No, the answer is incorrect. Score: 0

Accepted Answers:
 $(\exists R.C) \cap \forall R.\neg C$

20) In FOFL, to show $KB \models \alpha$ we apply tableau on $KB \cup \{\neg\alpha\}$. As FOFL tableau executes: 1 point

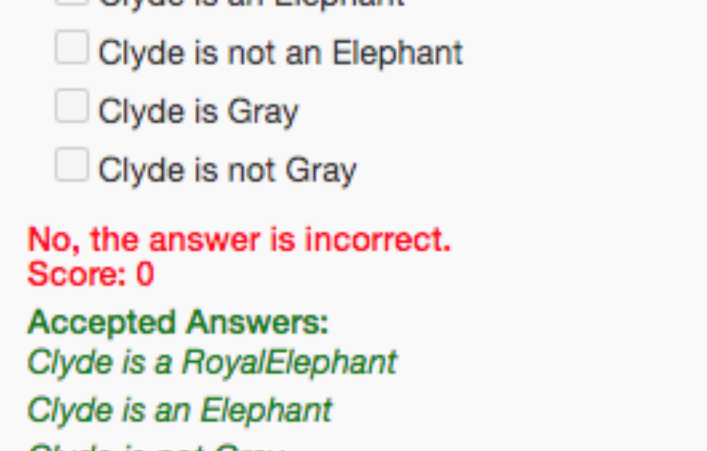
- It maintains a graph of nodes that are connected by roles
- Each node in the graph is either a constant or a variable (placeholder for constants)
- Each node has a label which contains a set of concepts that are satisfied by that node
- ALC tableau for $KB \cup \{\neg\alpha\}$ always terminates with a contradiction if $KB \models \alpha$
- If a tableau path terminates without a contradiction then it proves that $KB \models \neg\alpha$
- Occasionally, ALC tableau runs forever when $KB \models \neg\alpha$

No, the answer is incorrect. Score: 0

Accepted Answers:
 It maintains a graph of nodes that are connected by roles
 Each node in the graph is either a constant or a variable (placeholder for constants)
 Each node has a label which contains a set of concepts that are satisfied by that node
 ALC tableau for $KB \cup \{\neg\alpha\}$ always terminates with a contradiction if $KB \models \alpha$
 If a tableau path terminates without a contradiction then it proves that $KB \models \neg\alpha$

21) An FOFL knowledge base KB1 and its interpretation-domain (figure) which has ONLY six individuals is shown below. 1 point

KB1: {
 Dean \sqsubseteq Professor,
 Author \sqsubseteq WellRead,
 (Professor \cap WellRead) \sqsubseteq BridgePlayer
 }



What is true about the individuals shown in KB1? 1 point

- All six individuals can be fully described in FOFL
- Only k can be fully described in FOFL
- All six individuals can be fully described in FOFL'
- There is only one bridge player and that is individual i
- All of the above

No, the answer is incorrect. Score: 0

Accepted Answers:
 Only k can be fully described in FOFL
 All six individuals can be fully described in FOFL'

22) From KB1 and the associated figure from previous question, pick the most specific descriptions of individuals "o" and "n" 1 point

- In FOFL: $o \rightarrow$ WellRead
- In FOFL: WellRead(o)
- In FOFL: [WellRead \cap \neg BridgePlayer \cap \neg Professor \cap \neg Author](o)
- In FOFL: n \rightarrow [AND Author BridgePlayer]
- In FOFL: [Author \cap BridgePlayer](n)
- In FOFL: [Author \cap BridgePlayer \cap \neg Professor](n)

No, the answer is incorrect. Score: 0

Accepted Answers:
 In FOFL: $o \rightarrow$ WellRead
 In FOFL: [WellRead \cap \neg BridgePlayer \cap \neg Professor \cap \neg Author](o)
 In FOFL: n \rightarrow [AND Author BridgePlayer]
 In FOFL: [Author \cap BridgePlayer \cap \neg Professor](n)

23) Identify the paths in the Inheritance Network that are admissible. 1 point

- a.B.F
- a.I.-G
- a.I.-G.-H
- a.B.F.G.-H
- a.B.C.D.E
- a.B.F.G.D.E
- a.B.F.G.C.D.E
- a.B.C.D.E.F.G.H

No, the answer is incorrect. Score: 0

Accepted Answers:
 a.B.F
 a.I.-G
 a.B.F.G.-H
 a.B.C.D.E
 a.B.F.G.C.D.E

BEGIN GROUP (2)

24) Given the following set of edges in an inheritance hierarchy Γ 1 point

- Clyde.RoyalElephant
- RoyalElephant.Elephant
- RoyalElephant.-Gray
- Elephant.Gray

Draw the inheritance hierarchy and identify the edges present in some credulous extension of Γ with respect to Clyde.

- Clyde.RoyalElephant
- RoyalElephant.Elephant
- RoyalElephant.-Gray
- Elephant.Gray

No, the answer is incorrect. Score: 0

Accepted Answers:
 Clyde.RoyalElephant
 RoyalElephant.Elephant
 RoyalElephant.-Gray
 Elephant.Gray

25) In the inheritance hierarchy Γ given above, which of the following edges are present in the preferred credulous extension of Γ with respect to Clyde 1 point

- Clyde.RoyalElephant
- RoyalElephant.Elephant
- RoyalElephant.-Gray
- Elephant.Gray

No, the answer is incorrect. Score: 0

Accepted Answers:
 Clyde.RoyalElephant
 RoyalElephant.Elephant
 RoyalElephant.-Gray

26) In the inheritance hierarchy Γ given above, which of the following conclusions hold in Credulous Reasoning 1 point

- Clyde is a RoyalElephant
- Clyde is an Elephant
- Clyde is not an Elephant
- Clyde is Gray
- Clyde is not Gray

No, the answer is incorrect. Score: 0

Accepted Answers:
 Clyde is a RoyalElephant
 Clyde is an Elephant
 Clyde is not Gray

27) In the inheritance hierarchy Γ given above, which of the following conclusions hold in Skeptical Reasoning 1 point

- Clyde is a RoyalElephant
- Clyde is an Elephant
- Clyde is not an Elephant
- Clyde is Gray
- Clyde is not Gray

No, the answer is incorrect. Score: 0

Accepted Answers:
 Clyde is a RoyalElephant
 Clyde is an Elephant
 Clyde is not Gray

END GROUP (2)