

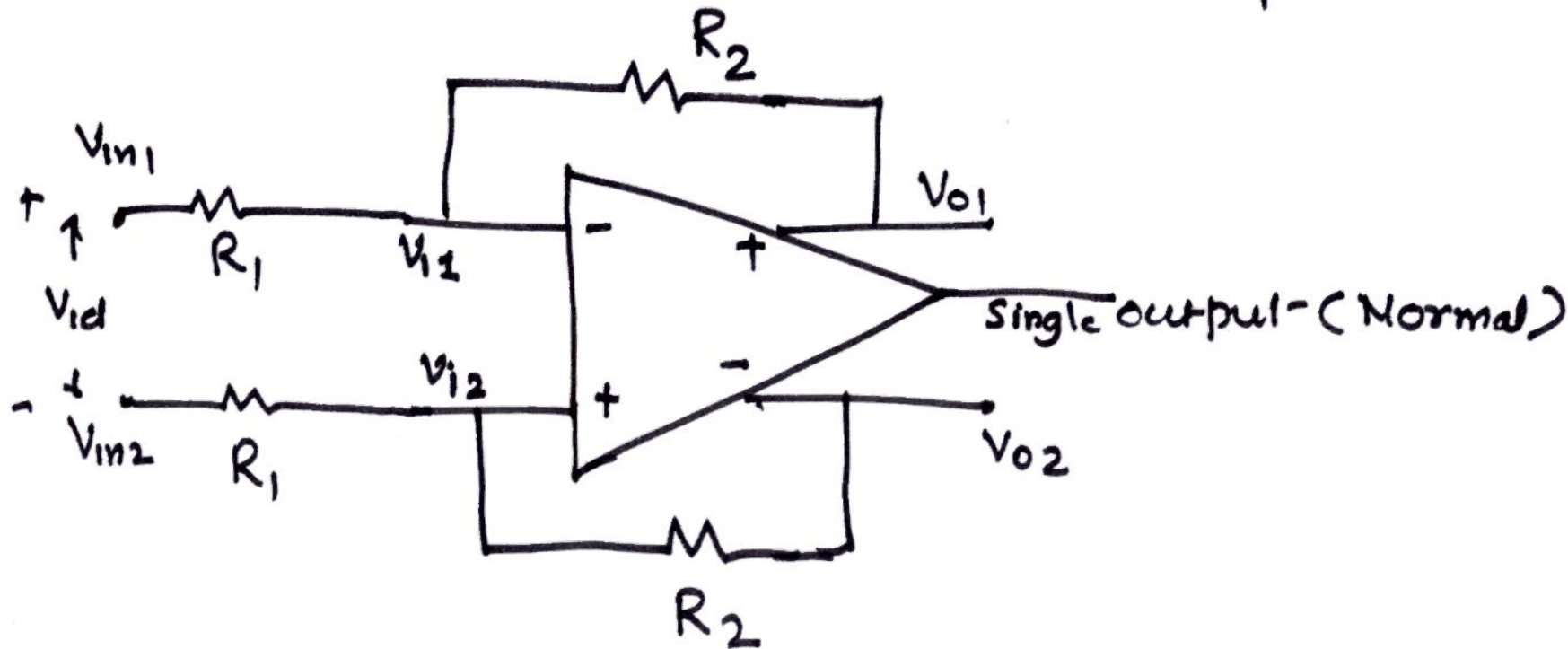
Fully Differential OPAMP

It's generally operated with Balance Input and produces Balance Output



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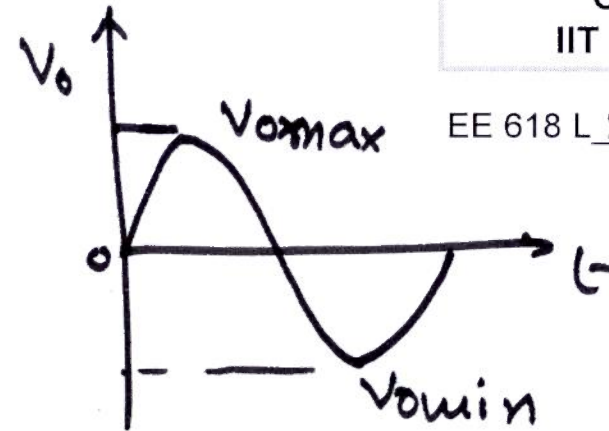
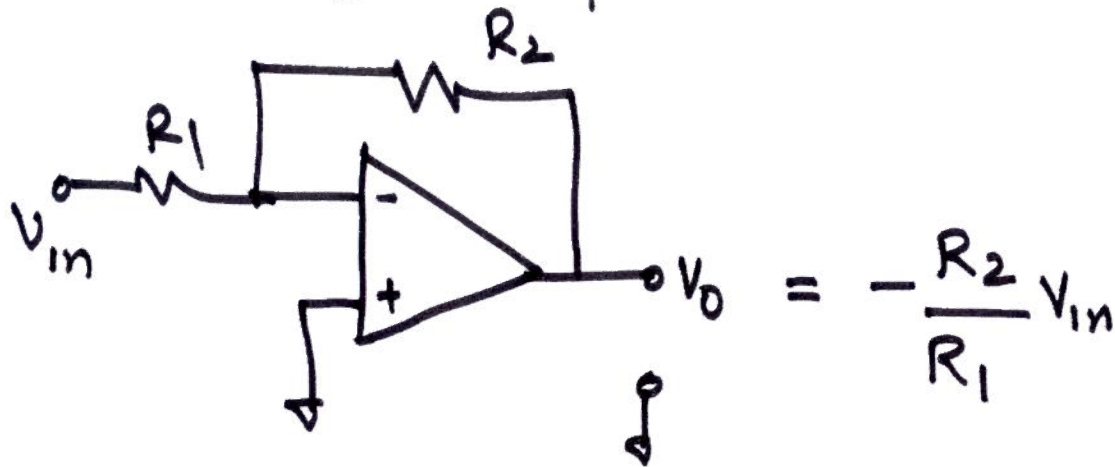




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For single output OPAMP an Amplifier is



$$V_{o\text{common}} = \frac{V_{o\text{max}} + V_{o\text{min}}}{2}$$

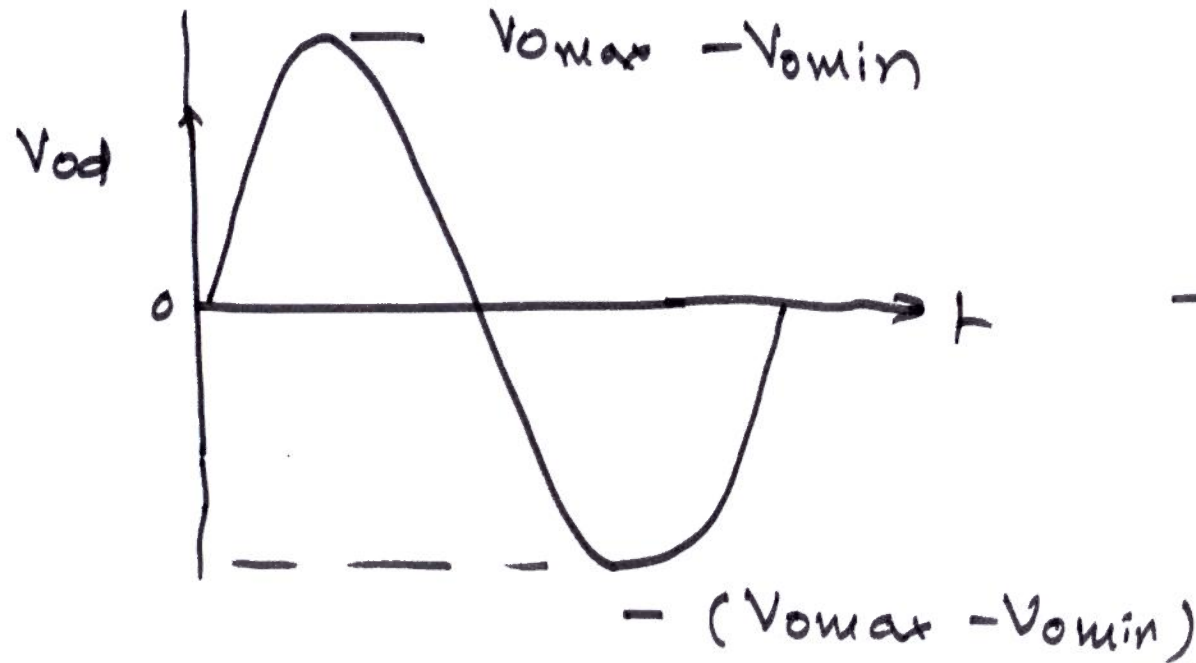
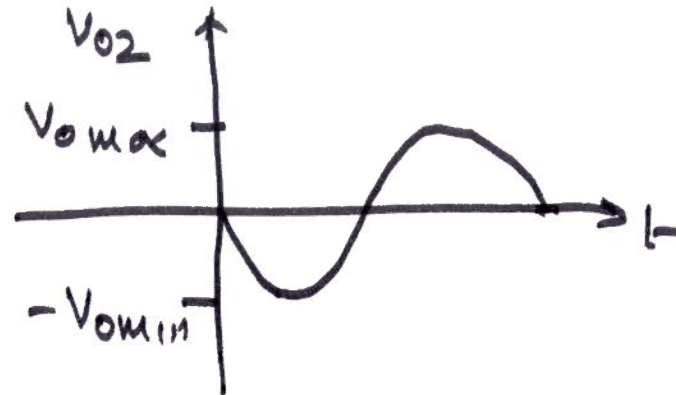
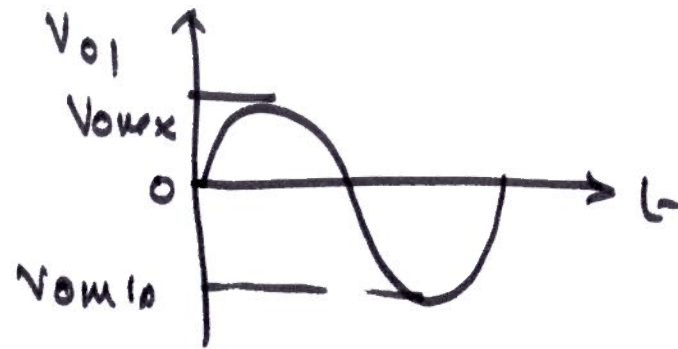
i.e. $V_{ocm} = 0$ If $V_{o\text{max}} = -V_{o\text{min}}$

In case of Balanced (Symmetric) Fully Differential System, V_{o1} & V_{o2} look like:

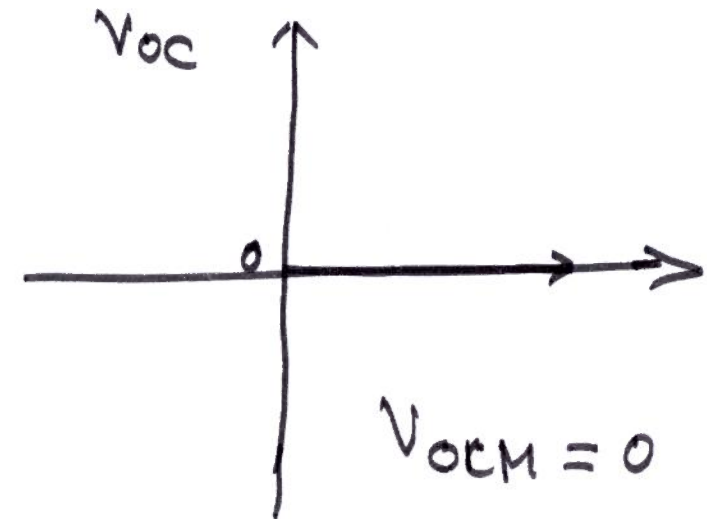


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Difference Mode
Output



$V_{ocM} = 0$
If $V_{o_{max}} = -V_{o_{min}}$

Common Mode
Output

We may need Amplifier with

① Higher Gain

② Higher SNR (Signal to Noise Ratio)



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where $SNR = \frac{\text{Max. Signal Output Power } (V_{s_{lim}}^2 / 2)}{\text{Output Noise Power } (\bar{V}_{ON}^2)}$

where \bar{V}_{ON}^2 (Single ended) = $(1 + \frac{R_2}{R_1})^2 4kTR_1 f_N$

\bar{V}_{ON}^2 (Fully Differential) = $2(1 + \frac{R_2}{R_1})^2 4kTR_1 f_N$

$V_{\text{signal (peak)}}$ for ~~Single~~ Single ended = $V_{Omax} - V_{min}$

.. .. F. Differential = $2(V_{Oxm} - V_{Omin})$